



**Q3:** Wed.  
18 Jan

May lightning  $\notin$  strike this table! (I.e, please fill in.)

$n$	$r_n$	$q_n$	$s_n$	$t_n$
0	109	—	1	0
1	21		0	1
2				
3				
4				

$$\text{So } \text{GCD}(109, 21) = \left[ \dots \right] = \left[ \dots \cdot 109 \right] + \left[ \dots \cdot 21 \right].$$

And  $x = \left[ \dots \right] \in (-50..50]$  solves congr.  $21x \equiv_{109} 3$ .

**Q4:** Fri.  
20 Jan LBolt:  $\text{GCD}(70, 30) = \left[ \dots \cdot 70 \right] + \left[ \dots \cdot 30 \right].$

So (LBolt again)  $G := \text{GCD}(70, 30, 42) = \left[ \dots \cdot 70 \right] + \left[ \dots \cdot 30 \right] + \left[ \dots \cdot 42 \right] = G$ .

**Q5:** Fri.  
03 Feb Coeff of  $x^7 y^{15}$  in  $[2x + y^3 + 5]^{20}$  is  $\left[ \dots \right]$ .

[You may leave your answer as a product of posints, or you may multiply-out.]

**Q6:** Wed.  
22 Feb Below,  $G$  and  $\Omega$  are sets. Then

$$G^\Omega = \left\{ \left[ \dots \right] \mid \left[ \dots \right] \in \Omega \right\}.$$

Suppose  $R$  is a binrel from  $G$  to  $\Omega$ . Then

$$\text{CoRange}(R) = \left\{ \left[ \dots \right] \mid \left[ \dots \right] \in \Omega \right\}.$$

**Q7:** Wed.  
22 Feb With  $f(x) := x^2$  and  $g(x) := x + 3$ ,

$$\text{then } [f \triangleright g](5) = \left[ \dots \right].$$

Circle those operators/relations which are chiral:

$\neq$     $\bullet$     $\circ$     $\text{Max}$     $\div$     $\leq$     $<$     $\wedge$

**Q8:** Fri.  
24 Feb In Gale's game of CHOMP [whose  $\mathbb{N} \times \mathbb{N} \times \mathbb{N}$  version is still unsolved], eating the Poison-Pill circle: Wins Loses

CHOMP, with best-play on a *finite* rectangular board, is a first-player win: T F

**Q9:** Fri.  
03 Mar To the interval  $J := (-\frac{\pi}{2}, \frac{\pi}{2})$ , define a bijection  $g: (0, 1) \leftrightarrow J$  by  $g(x) :=$   
.....

Using this  $g$  and a trigonometric fnc, define a bijection  $h: (0, 1) \leftrightarrow \mathbb{R}$  by  $h(x) :=$   
.....

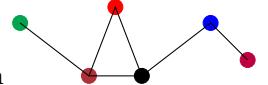
**QA:** Mon.  
13 Mar A “Cantor’s-Hotel” type bijection

$f: (5, 6] \leftrightarrow (0, 1)$  is:  
....., for each posint  $n$ ;

and  $f(x) :=$   
....., for each  $x \in (5, 6] \setminus C$ ,  
where  $C :=$   
.....

**QB:** Wed.  
12 Apr

**Bird with a broken wing:** Graph



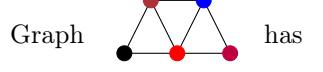
has Chromatic

poly  $\mathcal{P}(x) =$   
.....

[Can be done by inspection. Do not bother to multiply out.]

**QC:** Mon.  
17 Apr

**Trapezoid:** Graph



has

poly  $\mathcal{P}(x) =$   
.....

[Edge-glue three copies of  $K_3$ . Do not multiply out, but do write as a product of polynomials..]

**Games Party!**