

**Abbrevs.** WLOG: ‘Without loss of generality’. IFF: ‘if and only if’. TFAE: ‘The following are equivalent’. ITOF: ‘In Terms Of’. OTForm: ‘of the form’. FTSOC: ‘For the sake of contradiction’. And  $\otimes$  = “Contradiction”.

IST: ‘It Suffices to’ as in ISTShow, ISTExhibit.

Use w.r.t: ‘with respect to’ and s.t: ‘such that’.

**Latin:** e.g: *exempli gratia*, ‘for example’. i.e: *id est*, ‘that is’. N.B: *Nota bene*, ‘Note well’. inter alia: ‘among other things’. QED: *quod erat demonstrandum*, meaning “end of proof”.

**C-Bonus:** <sup>Wed. 19 Nov</sup> Operators  $V, P, Q, R, S$  map from  $C^\infty \rightarrow C^\infty$ , and  $V$  is linear. The other maps are

$$P(f) := [t \mapsto f(t) + 3], \quad Q(f) := [t \mapsto f(t + 3)], \\ R(f) := [t \mapsto f(f(t))], \quad S(f) := V(V(f)),$$

Then ...  $P$  is linear:  $T F$ .  $Q$  is linear:  $T F$ .  
 $R$  is linear:  $T F$ .  $S$  is linear:  $T F$ .

*Hi.* Rewritten, the-above operator  $P$  is  $P(f) := 3 + f$ .  
The-above  $Q$  is what familiar operator?  
The-above operator  $R$  is  $R(f) := f \circ f$ .  
The-above operator  $S$  is  $S := V \circ V$ .  $\square$

*Compare the preceding question with the Exam-C TF-question, and its solution, below:*

**C1c** DiffOperators  $P, Q, R, S$  are defined by

$$P(f) := f(4) \cdot f', \quad Q(f) := \cos(4) \cdot f^{(4)}, \\ R(f) := [\cos(4) \cdot f] + f'', \quad S(f) := \cos(4) + [4f'].$$

Then ...  $P$  is linear:  $T F$ .  $Q$  is linear:  $T F$ .  
 $R$  is linear:  $T F$ .  $S$  is linear:  $T F$ .

*Below, a quiz symbol such as Q1.4 refers to Quiz 1 of the 4<sup>th</sup>-period class.*

**Q1.4:** <sup>Mon. 01 Dec</sup> The Laplace transform of the function  $f(t) := H(t - 2) - 3$

is  $\widehat{f}(s) =$  .  
.....

**Q1.5:** <sup>Mon. 01 Dec</sup> The Laplace transform of the function  $f(t) := 5 + H(t - 4)$

is  $\widehat{f}(s) =$  .  
.....

**Q2:** <sup>Mon. 08 Dec</sup> Gamma fnc:  $\Gamma(5) =$  ..... and  $\Gamma(\frac{5}{2}) =$  .....

For all real  $x > 1$ , our  $\Gamma()$  function satisfies recurrence relation

$\Gamma(x) =$  .  
.....

*That's All, Folks!*