

Hello. Please write DNE in a blank if the described object does not exist or if the indicated operation cannot be performed.

D1: Show no work.

z10

There is a reading assignment over the break.

True!

Yes!

We have a Break??

a20

Subsets $B, C \subset X^{\text{MS}}$ share a common point, and each is path-connected.

Then $B \cap C$ is path-connected. $T \quad F$

Then $B \cup C$ is path-connected. $T \quad F$

b

That $1/5$ is a **Lebesgue number** of open-cover \mathcal{C} of (X, d) , means that

Patches $\mathcal{C} := \{(-\infty, 28], [7, 33), [29, +\infty)\}$ cover \mathbb{R} . Thus $\text{MaxLebesgueNumber}(\mathcal{C}) =$

c

Stereo-dist $\sigma(\frac{1}{4102}, -4102) =$

Let $S := \{\infty\} \cup \{n \cdot [-1]^n \mid n \in \mathbb{Z}_+\} \subset \mathbb{R}$. Then

$\sigma\text{-Diam}(S) = \sigma(\text{ }, \text{ })$.

d

P.L fncs f_n converge ptwise, but not uniformly, to $x \mapsto 2x$ where the cutpoint and height tuples of f_n are

$\vec{p} := (1, \text{ }, 2, \text{ }, 3, \text{ }, 4)$

and $\vec{h} := (2, \text{ }, \text{ }, \text{ }, 8 + \frac{1}{n})$.

P.L fncs g_n converge ptwise, but not uniformly, to $-Id$ where the cutpoint and height tuples of g_n are

$\vec{p} := (2, 3, \text{ }, 5)$

and $\vec{h} := (-2, -3, \text{ }, -5)$.

e20

Let L be the (natural) logarithm function. So $\text{Lip}(L|_{[3, \infty)}) =$ and $\text{Lip}(L|_{(0, 3]}) =$

f20

Every compact MS is complete. $T \quad F$

Suppose compact MS Y is a subspace of MS Ω . Then Y is automatically Ω -closed. $T \quad F$

Essay question: Carefully write a triple-spaced essay solving the problem.

D2: Prove that the interval $J := [4, 7]$ is connected.

End of Class-D

D1: _____ 160pts

D2: _____ 95pts

Poorly stapled, or missing ordinal : _____ -5pts

Missing name, or honor sig : _____ -5pts

Total: _____ 255pts

Please PRINT your name and ordinal. Ta:

Ord: _____

HONOR CODE: "I have neither requested nor received help on this exam other than from my professor."

Signature: _____