

**A1:** Show no work. *NOTE:* The **inverse-fnc** of  $g$ , often written as  $g^{-1}$ , is *different* from the **reciprocal fnc**  $1/g$ . E.g, suppose  $g$  is invertible with  $g(-2) = 3$  and  $g(3) = 8$ : Then  $g^{-1}(3) = -2$ , yet  $[1/g](3) \stackrel{\text{def}}{=} 1/g(3) = 1/8$ .

Write **DNE** in a blank if the described object does not exist or if the indicated operation cannot be performed.

This is an **Open Brain** but **No calculator** exam.

**a** Line  $y = Mx + B$  is orthogonal to  $y = \frac{1}{5}x + 2$  and owns  $(4, 10)$ . So  $M =$  and  $B =$ .

**b** The solutions to  $5x^2 = 2 - 2x$  are  $x =$ .

**c**  $[\sqrt{2}^{\sqrt{27}}]^{\sqrt{3}} =$ .  $\log_8(4) =$ .

**d** Let  $y = f(x) := [5 + \sqrt[3]{x}]/2$ . Its inverse-function is  $f^{-1}(y) =$ .

**e** Let  $g(x) := x^3 + 4x - 2$ . Then  $g^{-1}(3) =$  and  $[g^{-1}]'(3) =$ .

**f** Below,  $f$  and  $g$  are differentiable fncs with

$$\begin{aligned} f(2) &= 3, & f(3) &= 5, & f'(2) &= 19, & f'(3) &= 17, \\ g(2) &= 11, & g(3) &= 13, & g'(2) &= \frac{1}{2}, & g'(3) &= 7, \\ f(5) &= 43, & g(5) &= 23, & f'(5) &= 41, & g'(5) &= 29. \end{aligned}$$

Define the composition  $C := g \circ f$ . Then  $C(2) =$ ;  $C'(2) =$ .

Please write each answer as a product of numbers; **do not** multiply out. [*Hint:* The Chain rule.]

**g** Compute the sum of this geometric series:  
 $\sum_{n=3}^{\infty} [-1]^n \cdot 2/3^n =$ .

**A2: Math-Greek alphabet:** Please write the **two** missing data of lowercase/uppercase/name. Eg:

“iota:  $\alpha$ : B: .” You fill in:  $\iota$  I A *alpha*  $\beta$  *beta*.  
 $\Sigma$ :  $\Upsilon$ :  $\Gamma$ :  
 $\omega$ :  $\nu$ :  $\xi$ :  
 $\psi$  rho lambda mu

End of SeLo-A

**A1:** 70pts

**A2:** 20pts

**Total:** 90pts

Print name Ord:

**HONOR CODE:** “I have neither requested nor received help on this exam other than from my professor.”

Signature: