

**Please.** Use “ $f(x)$  notation” when writing fncs; in particular, for trig and log fncs. E.g., write “ $\sin(x)$ ” rather than the horrible  $\sin x$  or  $[\sin x]$ . Do **not** approx.: If your result is “ $\sin(\sqrt{\pi})$ ” then write that rather than  $.9797\cdots$ . Write expressions unambiguously e.g., “ $1/a + b$ ” should be bracketed either  $[1/a] + b$  or  $1/[a + b]$ . (Be careful with **negative signs!**)

Please write **DNE** in a blank if the described object does not exist or if the indicated operation cannot be performed.

**P1:** Show no work.

**[z]** What is a polar bear? Answer:

*A rectangular bear after a coordinate transform.*

**[a]** The **slope** of line  $3[y - 5] = 2[x - 1]$  is ......

Point  $(4, y)$  lies on this line, where  $y =$  ......

**[b]** The solutions to  $3z^2 = 1 - z$   
are  $z =$  ......

**[c]**  $[\sqrt{3}^{\sqrt{2}}]^{\sqrt{8}} =$  ......  $\log_8(4) =$  ......

**[d]** Let  $B(x) := x^x$ . Its derivative, then, is  
 $B'(x) =$  ......  
[Hint: How is  $x^x$  defined ITOf the exponential fnc?]

**[e]** For fnc  $y = h(x) := [5 + \sqrt[3]{x}]/2$ , its inverse fnc is  $h^{-1}(y) =$  ......

**[f]** Suppose  $g$  is a fnc with  $g'$  never zero. Let  $h$  be the inverse fnc of  $g$ . In terms of  $h$ ,  $g$  and  $g'$ , write a formula for  $h'(x) =$  ......  
[Hint: The Chain rule.]

**[f\*]** Let  $g(x) := x^3 + x$ . Then  $g^{-1}(10) =$  .....  
and  $[g^{-1}]'(10) =$  ......

**[g]** Compute the sum of this geometric series:  
 $\sum_{n=0}^{\infty} [-1]^n \cdot [3/5]^n =$  ......

**[h]** The series  $\sum_{k=1}^{\infty} \frac{[-1]^k}{\ln(k)}$  (circle one): Diverges,

Converges absolutely,

Converges conditionally.

**[i]** The **radius of convergence** of power series  $\sum_{n=0}^{\infty} \frac{[3x]^n}{n+7}$  is:  $\text{RoC} =$  ......

End of P-Prereq

**P1:** ..... 110pts

**Total:** ..... 110pts

Print  
name .....

Ord: .....

**HONOR CODE:** *I have neither requested nor received help on this exam other than from my professor.*

Signature: .....